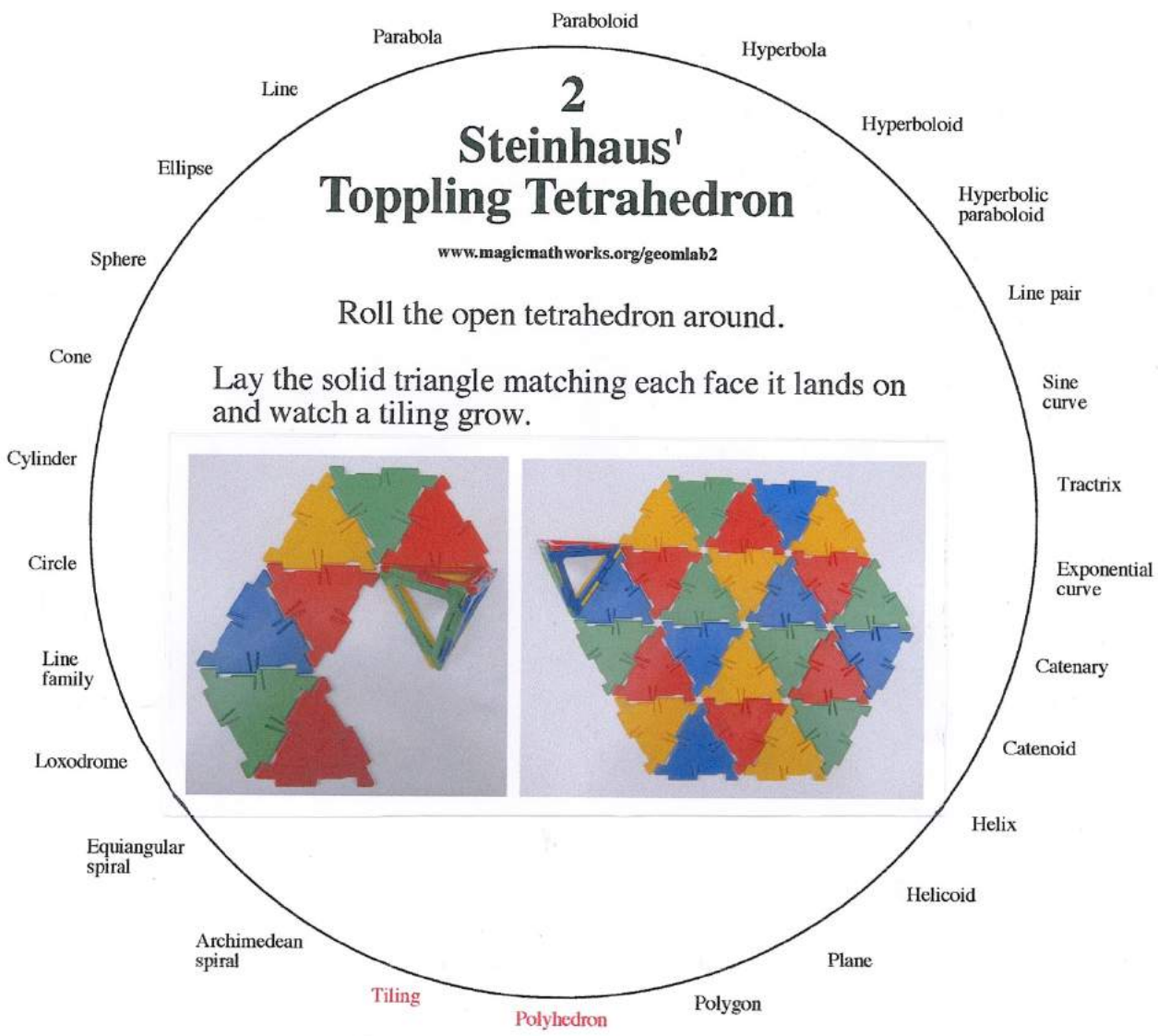
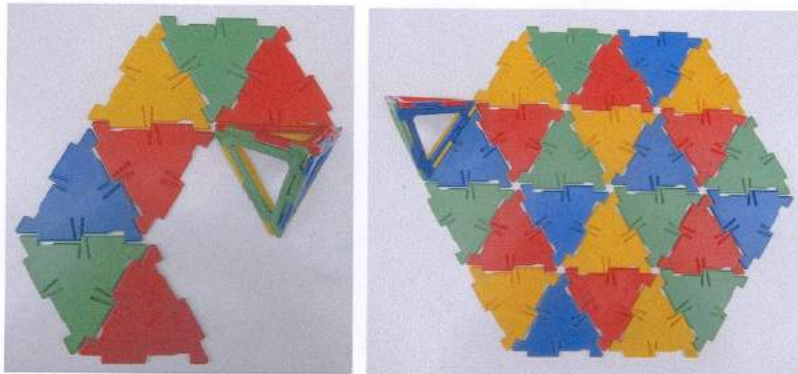


2 Steinhaus' Toppling Tetrahedron

www.magicmathworks.org/geomlab2

Roll the open tetrahedron around.

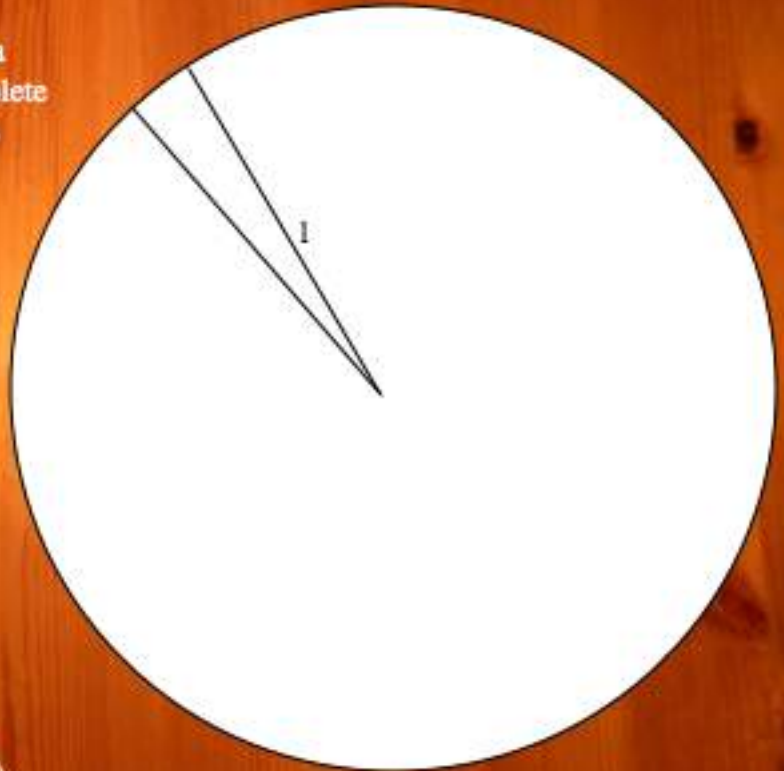
Lay the solid triangle matching each face it lands on
and watch a tiling grow.



In what ways is a rolling cone analogous to the toppling tetrahedron? The toppling tetrahedron covers the plane whereas the cone has a finite locus. The sum of the tetrahedron's facial angles meeting in a vertex is a unit fraction of a whole angle ($1/2$ in fact) and this is a requirement here too. (The $1/2$ corresponds to a semi-apical angle of 30°)

John Mason's rolling coffee cup

This coffee cup rolls on the table, printing a design. Extend the frustum to make a complete cone. Points on the cup follow circular arcs centred on the apex.



For it to print without smudging, $\sin \alpha$ be a unit fraction.